On the iterative solution of some decomposable nonlinear operator equations

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ABSTRACT.

The aim of this note is to extend a recent result concerning the solvability of a nonlinear equation that can be decomposed under the form $Au = Pu$, where one of the two operators A and P has richer properties than the other one.

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