

## Minimal structures, $m$ -open functions and bitopological spaces

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### ABSTRACT.

By using  $m$ -open functions from a topological space into an  $m$ -space, we establish the unified theory for several weak forms of open functions between bitopological spaces.

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