

Empirical study of a Padé type accelerating method of Picard iteration

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ABSTRACT.

We use a Padé type acceleration technique for the method of successive approximations in [J. Biazar and A. Amirteimoori, *An improvement to the fixed point iterative method*, Applied Mathematics and Computation **182** (2006), 567-571, doi:10.1016/j.amc.2006.04.019] to empirically study the possibility of accelerating Picard iteration for some other known test functions.

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