

Approximating solutions of generalized pseudocontractive variational inequalities by admissible perturbation type iterative methods

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ABSTRACT.

In this paper we give the solvability class of generalized strongly nonlinear variational inequalities modified by the use of the new concept of *admissible perturbation operator* on nonempty closed convex sets in Hilbert spaces.

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